# Extending a comprehensive model for choosing proper load carriers

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• he last months made visible how important efficient processes and material flows are. Amongst others, efficiency requires comprehensive analyses taking also possibly inconspicuous things into consideration. Let's take material supply of production areas as an example: Here, it is crucial to choose the adequate load carrier for every single part number. The larger the carrier is, the larger is the required space, the number of contained pieces and finally fixed capital. The smaller it is, the higher is the necessary transportation frequency. These are only some dependencies showing that choosing efficient load carriers is subject to many parameters. Even if some efforts have been undertaken during the last years, still this choice is mostly based on size only ignoring other aspects. And even if these or further factors are considered, there is still the lack for an approach to consider and optimize different parts at the same time. Thus, we accordingly show an extended optimization model fitting important lean logistics requirements like Kanban and supermarkets for choosing the right set of standardized load carriers for material supply considering most important aspects for production supply within this paper.

[Keywords: production supply, comprehensive load carrier management, lean logistics, optimization]

#### **1** INTRODUCTION

There seems to be an endless amount of standardized load carriers, in different sizes and/or colours. Thus, the idea of considering standardized load carriers in detail is not new. Already in 2006, [HB06] performed an analysis of about 175 different producing companies which showed that e.g. more than 50 % of the analysed companies use more than 20 different load carriers (p. 24). These load carriers can cost up to  $500 \notin$  each (p. 25), see the following **Figure 1** where "Stück" equals "each". However, since then, only very little activities have been undertaken to deeper analyse the question which load carrier should be used for transporting which standard item considering important factors like e.g. underlying supply chain processes a load carrier passes by, storage costs, handling costs, area costs, ergonomic aspects, flexibility. Of course, special

items requiring specially constructed or adapted load carriers are not scope of this paper as these are, of course, considered in-depth already. Even if bin management has become quite well-known and broadly applied within the last years, it in general still neglects these really decisive factors: [VDA17, p. 5] states that e.g. loops and bins have to be managed. The same does [DL18, p. 19]. [BITO23] also denotes that bin management simply means to manage the cycles and number of load carriers. [INF23] highlights that it is important to distribute load carriers according to demand. In all these cases, mainly two aspects are considered only:

- How many bins are needed?
- In which loops do they circulate?

The underlying processes or deeper considerations of total costs are rather neglected. [Sydow17, p. 18] confirms these findings. Besides, [Temur21, p.73] notes that there are only two publications regarding an according modelling considering the above-mentioned processes and costs. These are [Berbig15] and [Rosenthal16]. [Rosenthal16, p. 8 f] mainly considers single load carriers and leaves process chains aside. [Berbig15] presents a systematics following a two-phase approach: In the first step, a TCO analysis is done for each product and all possible kinds of available bins individually. Afterwards, these results are used as input data for an optimization model enabling the simultaneous decision. Thus, we take this work as the basis for our paper. Goal of the paper is to extend this optimization model towards the most important lean logistics requirements. Thus, the paper is structured as follows: Chapter 2 introduces the optimization model as-is. In chapter 3, practice requirements as well as their consideration in the current model are investigated in depth. The enhancement of the optimization model is done in the following chapter 4 while chapter 5 concludes this paper by showing an application of the enhanced model. Finally, the paper is concluded with the final summary shown in chapter 6.



Figure 1.: Distribution of costs per load carrier [HB06]

### 2 THE CURRENT OPTIMIZATION MODEL – A CLOSER LOOK

On pages 161 and 162, [Berbig15] proposes the following optimization model:

$$\min z = \sum_{i=1}^{m} \sum_{j=1}^{n} TCO_{ij} x_{ij} (1)$$
s.t. 
$$\sum_{i=1}^{m} \sum_{j=1}^{n} x_{ij} A_{ij} \leq A \quad (2)$$

$$\sum_{i=1}^{m} \sum_{j=1}^{n} x_{ij} l_{ij} \leq L \quad (3)$$

$$\sum_{i=1}^{m} \sum_{j=1}^{n} x_{ij} h_{ij} \leq H \quad (4)$$

$$\sum_{i=1}^{m} \sum_{j=1}^{n} x_{ij} d_{ij} \leq D \quad (5)$$

$$\sum_{j=1}^{n} x_{ij} = 1 \quad \forall i = 1, ..., m \quad (6)$$

$$x_{ij} \in \{0,1\} \quad \forall i = 1, ..., m \quad \forall j = 1, ..., n \quad (7)$$

where:

- TCO<sub>ij</sub> is the TCO result if load carrier j is used for transporting product i
- A<sub>ij</sub> is the foot print of bin j containing product i
- l<sub>ij</sub> is the length of load carrier j transporting product i
- h<sub>ij</sub> is the according height
- d<sub>ii</sub> analogously represents the required depth

- x<sub>ij</sub> means that product i is transported in load carrier j
- A, L, H and D represent total available area, length, height and depth.

The target function (1) aims for the lowest possible costs. Condition (2) guarantees that the required space for load carriers is not exceeding the maximum available area. Conditions (3) to (5) guarantee that length, height and depth e.g. of the shelf or area may not be exceeded. Condition (6) finally states that exactly one load carrier is assigned to one product. This model is working and leads to accordingly valid results. Condition (7) is just signalling that  $x_{ij}$  is a binary variable. Now, the question is, if it already considers all aspects that are relevant in practice or if some enhancements are needed.

#### **3** A CLOSER LOOK INTO PRACTICE REQUIREMENTS

The question we have to answer now is: Which requirements have to be fulfilled such that the optimization model does not only work, but is fitting all important production needs? Following Lean principles and according to our experience, the upcoming characteristics have to be given (please note that the order is not linked to the importance of an aspect):

- It must be possible that the material that has been supplied can cover a certain minimum time span at the destination (e.g. to cover at least two milk-run cycles to ensure material is refilled in time)
- Chaotic storing has to be possible e.g. at warehouses
- Kanban (or a Kanban logic) can be used, i.e. at least a 2-bin-system has to be representable
- Following Lean philosophy even further, also supermarkets can be implemented. Thus, single-variety storage is required as well. This means that a certain area is exclusively restricted to a single type of material.
- Besides, practice shows that length, width and depth are considered in an early planning stage already.

Considering these really important requirements as a starting point, what is already considered in the optimization model and what is still missing?

> Covering of minimum amount of time: This is already considered in the TCO-modelling [Berbig15, p. 120]. As the TCO-value is a

part of the target function, this requirement is already considered.

- Chaotic storing: Neither in the TCO-model [Berbig15, p. 91ff] nor in the optimization model (see above) there is a restriction regarding exclusive assignment of storage space or production areas. Thus, this need is satisfied.
- Kanban system: In the current model, it is only guaranteed that a minimum time-span is covered with material. However, it might be that already one bin can fulfil this prerequisite. In this case, only one bin will be considered. Consequently, an adaption is required.
- Supermarket: As mentioned above, there is no restriction of available areas to certain materials. Thus, a supermarket is not considered, yet.
- Explicit consideration of length, depth and height: At least length and depth are already implicitly contained in A. Thus, conditions (3) – (5) might be double considered.

These findings show that the current approach already satisfies important needs, but the optimization model itself can still be extended. How can this be achieved?

#### 4 ENHANCEMENT OF CURRENT OPTIMIZATION MODEL

As seen in chapter 3, enhancements need to be done. This will be done step-by-step in this chapter:

#### 4.1 ENABLING OF A KANBAN-SYSTEM/MULTI-BIN-SYSTEM

Luckily, this requirement is quite easy to fulfil. Basically, only a maximum formula (max{a;b}) is needed. The only question is: The maximum of what? Which numbers do a and b represent? The first number, a, is straight forward. It equals the number "m", according to which kind of m-bin-system is implemented or how many kanbans shall be used. For a 2-bin-system, this would be a 2. B – this is the amount of load carriers required to cover replenishment time – however is slightly harder to define. Let's consider the following case: One load carrier can cover a time span of 10 min. If the replenishment time is 25 min, we need at least 25 min/10 min = 2.5 load carriers. Of course, this number has to be rounded up to a full load carrier, in our case 3. Generalizing this example, one gets:

$$n_{LC,ij} = \max \{m; \left[\frac{RT}{n_{PLC,ij}/DE_i}\right]\} (8)$$

where:

- n<sub>LC,ij</sub> = required number of bins of type j for product i
- m = according type of applied "m"-bin-system or desired number of kanbans
- RT = replenishment time, e.g. [min]
- n<sub>PLC,ij</sub> = number of pieces per load carrier
- DE<sub>i</sub> = Demand of product I per e.g. [min] (according to RT)
- Remaining variables as defined above

#### 4.2 CONSIDERATION OF SUPERMARKETS

Regarding the optimization model, the decisive characteristic of a supermarket which has to be considered is that there have to be dedicated "lines/rows" or areas, where only a certain type of material is allowed. If one bin is within a line of a shelf, this line is restricted to exactly this material. I.e. the whole area this single line covers is now consumed by this one bin already. Consequently, the according question is: How many lines of the supermarket (e.g. shelf) are needed for one material? In order to be able to answer this question, we need to take an assumption. Namely that the load carriers (which are of a rectangular shape) are put into the shelf/area following their longer side. This means they are oriented such that the shorter side is visible from the front of the shelf/area, the longer one is visible from the side. Besides, we assume that the longer side equals the depth of the load carrier, the shorter one is its length. Consequently, we get the following formulae (9) & (10):

$$\mathbf{n}_{\text{lines},ij} = \begin{bmatrix} n_{LC,ij} \\ \boxed{\frac{D_{Shelf/Area}}{d_j}} \end{bmatrix} (9)$$

where

- n<sub>lines,ij</sub> = number of lines needed if product i is in tote j
- D<sub>Shelf/Area</sub> = available depth of shelf/area
- d<sub>i</sub> = depth of load carrier j
- Remaining variables as defined above

Formula (9) also guarantees that every line is exclusively assigned to one product only: The ceil-function applied results in the fact that a whole line is used even if only a fraction of it would theoretically be required. Having identified the number of lines now, we need to calculate the required area which is a simple area calculation as shown in formula (10):

$$A_{ij} = n_{\text{lines},ij} * D_{\text{Shelf/Area}} * l_j (10)$$

where

- A<sub>ij</sub> = required area if product i is in load carrier j
- $l_j = length of load carrier j$
- Remaining variables as defined above

# 4.3 EXPLICIT CONSIDERATION OF LENGTH, DEPTH AND HEIGHT

As already assumed, the explicit consideration of length, depth and height is not required for every single dimension: Formula (9) and (10) include length and depth already for calculation of Aij. Thus, when applying Aij resulting from formula (10) within the optimization model, i.e. ensuring via formula (2) that the available space is not exceeded, it is also guaranteed that both, the available depth and length are not exceeded as well. Thus, the conditions denoted in formulae (3) and (5) can be left aside. But what about formula (4) and the explicit consideration of height? In most cases, also this won't be required: In case of a shelf, the shelf footprint is to be multiplied with the number of levels to calculate the total available space. With doing so, height is considered already and no separate condition is required. If there are further restrictions regarding available height, those should be considered even before starting the TCO analysis, i.e. already when defining the pool of available bins: If a load carrier is too high, it may not be used. Thus, it shouldn't be considered in the available set of load carriers. Consequently, also formula (4) can be neglected. Only in very special cases or to be on the absolute safe side, it can theoretically be considered explicitly. But using it is not recommended.

## 4.4 THE EXTENDED OPTIMIZATION MODEL

Considering the above findings, we get the following enhanced optimization model (with same basic notations as before):

$$min z = \sum_{i=1}^{m} \sum_{j=1}^{n} TCO_{ij} x_{ij} \quad (11)$$
  
s.t.  $\sum_{i=1}^{m} \sum_{j=1}^{n} x_{ij} A_{ij} \leq A \quad (12)$   
 $\sum_{j=1}^{n} x_{ij} = 1 \forall i = 1, ..., m \quad (13)$   
 $x_{ij} \in \{0,1\} \forall i = 1, ..., m \forall j = 1, ..., n \quad (14)$ 

where

- A<sub>ij</sub> = required area calculated according to (10)
- Remaining variables as defined above

This model has less boundary conditions, as the former equations (3) - (5) are already considered within calculation of A<sub>ij</sub> and can consequently be neglected. Even if formula (11) and (12) look like before, there is an important difference: A<sub>ij</sub> is now different, as it is now calculated according to formula (10). The remaining formula and variables remain unchanged.

#### 5 APLYING THE ENHANCED OPTIMIZATION MODEL

Having defined the enhanced optimization model, it is now important to check if it really works. Thus, we consider an illustrative example: Let's assume we have 10 different products and 14 different load carriers. These load carriers have the following dimensions where SLC represents the group of "small" load carriers and LLC the one of "large" load carriers:

Load Carrie	r Footprint	LC dimensions [cm]			
0,06		20*30			
0,06		20*30			
0,12	SLC	30*40			
0,12		30*40			
0,24		40*60			
0,48		60*80			
0,48		60*80			
0,48		60*80			
0,48		60*80			
0,96	LLC	80*120			
0,96		80*120			
0,96		80*120			
0,96		80*120			
0,96		80*120			

Figure 2.: Dimensions of exemplary load carriers

With these, we assume to have calculated the following results for  $A_{ij}$  if product i is transported within bin j when applying formula (10), see **Figure 3**.

	Aij for product in load carrier									
Load carrier	1	2	3	4	5	6	7	8	9	10
1	0,24	0,3	0,48	1,2	0,24	0,3	0,48	1,2	0,48	0,12
2	0,24	0,24	0,36	1,08	0,24	0,24	0,36	1,08	0,36	0,12
3	0,36	0,36	0,48	1,08	0,36	0,36	0,48	1,08	0,48	0,24
4	0,36	0,36	0,36	0,96	0,36	0,36	0,36	0,96	0,36	0,24
5	0,48	0,72	0,72	1,2	0,48	0,72	0,72	1,2	0,72	0,48
6	0,96	1,44	1,44	2,4	0,96	1,44	1,44	2,4	1,44	0,96
7	0,96	1,44	1,44	1,92	0,96	1,44	1,44	1,92	1,44	0,96
8	0,96	0,96	1,44	0,96	0,96	0,96	1,44	0,96	i 1,44	0,96
9	0,48	0,96	1,44	0,96	0,48	0,96	1,44	0,96	i 1,44	0,96
10	0,96	0,96	1,92	1,92	0,96	0,96	1,92	1,92	1,92	1,92
11	0,96	0,96	1,92	1,92	0,96	0,96	1,92	1,92	1,92	1,92
12	0,96	0,96	1,92	1,92	0,96	0,96	1,92	1,92	1,92	1,92
13	0,96	0,96	1,92	1,92	0,96	0,96	1,92	1,92	1,92	1,92
14	0,96	0,96	1,92	1,92	0,96	0,96	1,92	1,92	1,92	1,92

Figure 3.: Exemplary A<sub>ij</sub>

	Costs for product in load carrier									
Load carrier	1	2	3	4	5	6	7	8	9	10
1	5.912,00€	5.667,00€	5.025,00€	5.280,00€	5.712,00€	5.219,00€	5.196,00€	5.362,00€	5.359,00€	5.228,00€
2	5.737,00€	5.872,00€	5.753,00€	5.293,00€	5.266,00€	5.925,00€	5.742,00€	5.997,00€	5.917,00€	5.832,00€
3	5.857,00€	5.594,00€	5.847,00€	5.279,00€	5.856,00€	5.597,00€	5.950,00€	5.263,00€	5.824,00€	5.413,00€
4	5.691,00€	5.580,00€	5.719,00€	5.162,00€	5.139,00€	5.899,00€	5.846,00€	5.437,00€	5.675,00€	5.794,00€
5	5.355,00€	5.180,00€	5.075,00€	5.966,00€	5.448,00€	5.179,00€	5.845,00€	5.252,00€	5.489,00€	5.125,00€
6	5.643,00€	5.904,00€	5.090,00€	5.024,00€	5.661,00€	5.370,00€	5.898,00€	5.801,00€	5.302,00€	5.031,00€
7	5.198,00€	5.156,00€	5.802,00€	5.148,00€	5.416,00€	5.057,00€	5.312,00€	5.087,00€	5.599,00€	5.541,00€
8	5.728,00€	5.055,00€	5.381,00€	5.634,00€	5.880,00€	5.897,00€	5.254,00€	5.192,00€	5.346,00€	5.295,00€
9	5.942,00€	5.724,00€	5.696,00€	5.437,00€	5.664,00€	5.266,00€	5.454,00€	5.305,00€	5.245,00€	5.249,00€
10	5.505,00€	5.816,00€	5.747,00€	5.181,00€	5.382,00€	5.300,00€	5.184,00€	5.502,00€	5.796,00€	5.353,00€
11	5.171,00€	5.840,00€	5.978,00€	5.130,00€	5.862,00€	5.669,00€	5.891,00€	5.345,00€	5.802,00€	5.272,00€
12	5.612,00€	5.346,00€	5.286,00€	5.888,00€	5.569,00€	5.803,00€	5.612,00€	5.731,00€	5.825,00€	5.093,00€
13	5.012,00€	5.656,00€	5.344,00€	5.540,00€	5.511,00€	5.106,00€	5.939,00€	5.764,00€	5.791,00€	5.771,00€
14	5.507,00€	5.379,00€	5.118,00€	5.516,00€	5.617,00€	5.023,00€	5.160,00€	5.265,00€	5.948,00€	5.384,00€
TCO for product i	5.012,00€	5.055,00€	5.025,00€	5.024,00€	5.139,00€	5.023,00€	5.160,00€	5.087,00€	5.245,00€	5.031,00€

Figure 4.: TCO for all load carrier and product combinations

	Costs for product in load carrier									
Load carrier	1	2	3	4	5	6	7	8	9	10
1	5.912,00€	5.667,00€	5.025,00€	5.280,00€	5.712,00€	5.219,00€	5.196,00€	5.362,00€	5.359,00€	5.228,00€
2	5.737,00€	5.872,00€	5.753,00€	5.293,00€	5.266,00€	5.925,00€	5.742,00€	5.997,00€	5.917,00€	5.832,00€
3	5.857,00€	5.594,00€	5.847,00€	5.279,00€	5.856,00€	5.597,00€	5.950,00€	5.263,00€	5.824,00€	5.413,00€
4	5.691,00€	5.580,00€	5.719,00€	5.162,00€	5.139,00€	5.899,00€	5.846,00€	5.437,00€	5.675,00€	5.794,00€
5	5.355,00€	5.180,00€	5.075,00€	5.966,00€	5.448,00€	5.179,00€	5.845,00€	5.252,00€	5.489,00€	5.125,00€
6	5.643,00€	5.904,00€	5.090,00€	5.024,00€	5.661,00€	5.370,00€	5.898,00€	5.801,00€	5.302,00€	5.031,00€
7	5.198,00€	5.156,00€	5.802,00€	5.148,00€	5.416,00€	5.057,00€	5.312,00€	5.087,00€	5.599,00€	5.541,00€
8	5.728,00€	5.055,00€	5.381,00€	5.634,00€	5.880,00€	5.897,00€	5.254,00€	5.192,00€	5.346,00€	5.295,00€
9	5.942,00€	5.724,00€	5.696,00€	5.437,00€	5.664,00€	5.266,00€	5.454,00€	5.305,00€	5.245,00€	5.249,00€
10	5.505,00€	5.816,00€	5.747,00€	5.181,00€	5.382,00€	5.300,00€	5.184,00€	5.502,00€	5.796,00€	5.353,00€
11	5.171,00€	5.840,00€	5.978,00€	5.130,00€	5.862,00€	5.669,00€	5.891,00€	5.345,00€	5.802,00€	5.272,00€
12	5.612,00€	5.346,00€	5.286,00€	5.888,00€	5.569,00€	5.803,00€	5.612,00€	5.731,00€	5.825,00€	5.093,00€
13	5.012,00€	5.656,00€	5.344,00€	5.540,00€	5.511,00€	5.106,00€	5.939,00€	5.764,00€	5.791,00€	5.771,00€
14	5.507,00€	5.379,00€	5.118,00€	5.516,00€	5.617,00€	5.023,00€	5.160,00€	5.265,00€	5.948,00€	5.384,00€
TCO for product i	5.012,00€	5.055,00€	5.025,00€	5.024,00€	5.139,00€	5.023,00€	5.160,00€	5.087,00€	5.245,00€	5.031,00€

Figure 5.: Results of the enhanced optimization model

Taking these values into consideration, we assume to have calculated TCO as shown in **Figure 4**.

The cells highlighted in light blue do always show the TCO optimal load carrier for each product. In this case, the overall cost would be  $50,801.00 \in$ .

With this information, we are now able to solve the optimization model with a simple linear solver even within Microsoft Excel. In order to do so, we simply implement the enhanced optimization model into the solver. We get the results as shown in **Figure 5** where the dark blue cells are the resulting cells calculated from the solver, the light blue ones are again the TCO optimal ones.

The first interesting and important finding is that the TCO optimal load carrier is not necessarily also the overall optimum one. Besides, now the overall cost is **52,242.00** €.

This means, overall cost has increased by  $1,441 \notin \text{or}$  approx. **2,84 %**. Why is this the case? One answer is that there might be synergy effects when having only a limited range of different load carriers. However, this is not explicitely modelled, yet. The answer is that there is another decisive boundary: The total available area. In the abovementioned case, the available area is only 5 m<sup>2</sup>. Using the TCO optimal load carriers only, **12.36 m<sup>2</sup>** would be required which are not available. Consequently, this is not a possible solution. With the optimization model, the result leads to **4.92 m<sup>2</sup>**. This shows that the enhanced optimization is able to satisfy all boundary conditions and practice requirements mentioned above. Thus, it is suitable and can be applied.

#### **6** SUMMARY

Cost saving via optimized processes is crucial. However, not only optimized processes offer according potential, but also the tool with which a process is performed. Tools like the used load carriers. Even if there is a shear endless amount of standardized load carriers and bin management has become broadly applied within the last years and decades, important factors are still neglected and load carriers are not considered comprehensively. Neither in practice nor in theory. There are only a few publications on this topic out of which one has been taken as basis for this research. This previous work presents a TCO modelling approach and afterwards a first optimization model. In this paper, we have a close look into practice requirements. The performed cross-check shows that enhancements to the optimization model are supportive. Consequently, an enhanced model has been developed taking these requirements into consideration. This model proves to be efficiently working and considers the identified practical needs. As it is a linear one, it can easily be implemented and solved with standard tools and solvers. However, some questions still remain open offering room for further

research like allowing only a certain number of different load carriers or repacking at production. Nevertheless, first important enhancements have been made, an enhanced model suiting practice needs is presented. With the previous optimization model and the enhancements shown in this paper, it is now possible to consider these highly important parameters within the optimization of the set of load carriers used:

- Kanban systematics
- Chaotic storing (A<sub>ij</sub> to be calculated as derived in [Berbig15])
- Supermarket (A<sub>ij</sub> to be calculated as developed in this paper)
- Guaranteeing of a minimum timespan that is covered by material
- Consideration of restrictions at destination (e.g. available area).

Fulfilling these characteristics, the model is applicable for many use cases. Nevertheless, there remain still some open questions, e.g. like restricting the model to a maximum number of allowed load carriers. These have to be checked in further research works.

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